

The Security of Mobile Agent Systems

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Modeling and Reasoning about Mobile Agent Systems

- with some applications to security -

Joint work with

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- Lucia Pomello – University of Milano Bicocca, IT

Systems, views, models

- **System**
 - dynamic (in a non-technical sense)
 - composed of (mobile) agents possessing “identity”
- **View**
 - description of a certain aspect of system behavior
- **System model**
 - “synchronous composition” of several views

Systems, views, specifications

- **System**
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 - description of a certain aspect of system behavior
- **System specification**
 - “synchronous composition” of several views

Simple example

“Flip-flop” message exchange

- **agents:**
 - communicators – senders/receivers
 - messages
- **assumptions**
 - there is a message flow infrastructure between communicators
 - messages are addressed – contain info about sender and addressee
 - only addressee can receive a message
 - addressee can send the message back to the sender

Different aspects of system behavior

- physical view – message flow
 - agents: communicators, messages, communication infrastructure
 - describes: *topology* of the communication infrastructure
- logical view – addressing of the messages
 - agents: communicators and messages
 - describes:
 - *sender* and *addressee* for each message
 - *message delivery control*

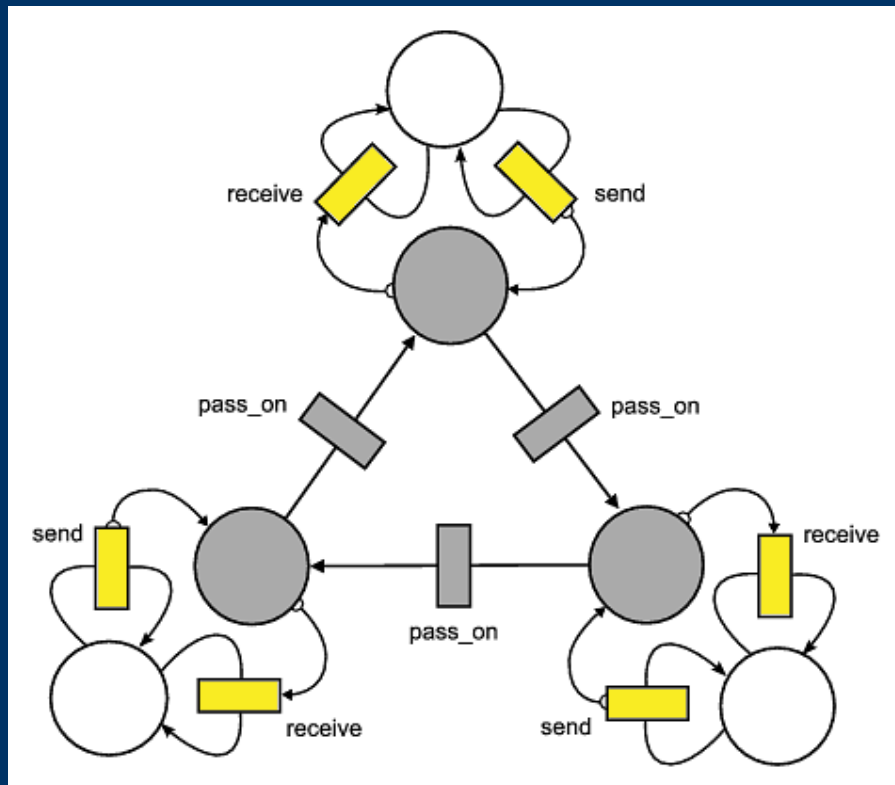
Modeling the physical view

- We shall use Petri hypernets as a modeling framework
- **agents:**
 - communicators, messages and communication infrastructure
- **actions** (transitions):
 - send – a communicator sends a message
 - receive – a message is delivered to a communicator
 - pass_on – a message changes its location within the communication infrastructure

Petri hypernets in a nutshell

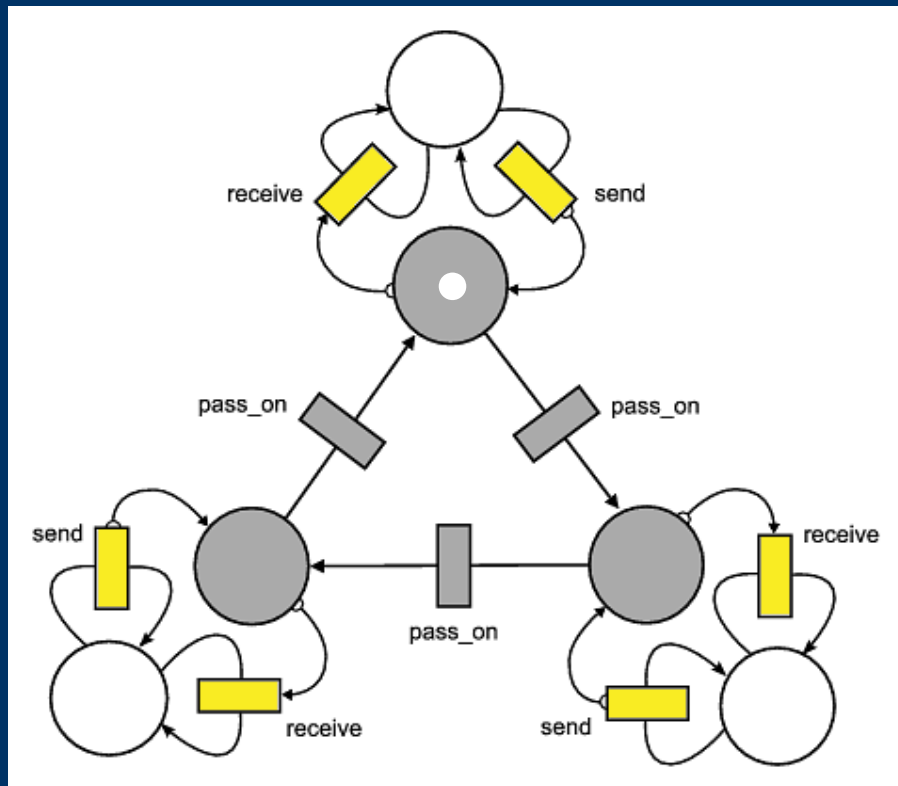
- Agents \approx Petri nets with “communication ports”
 - based on the “*nets-within-nets*” idea (nets as tokens)
 - **locations** = places in nets
- Hypernet \approx set of “typed” nets
- Dynamics
 - hypernet state (hypermarking) \approx type-preserving placement of agents in locations (agent has ***at most one*** location at a given time)
 - agents form consortia to perform common actions (transitions)
 - hierarchy of agents evolves as a result of firing consortia
 - number and “identity” of agents ***does not change***

Communication infrastructure agent



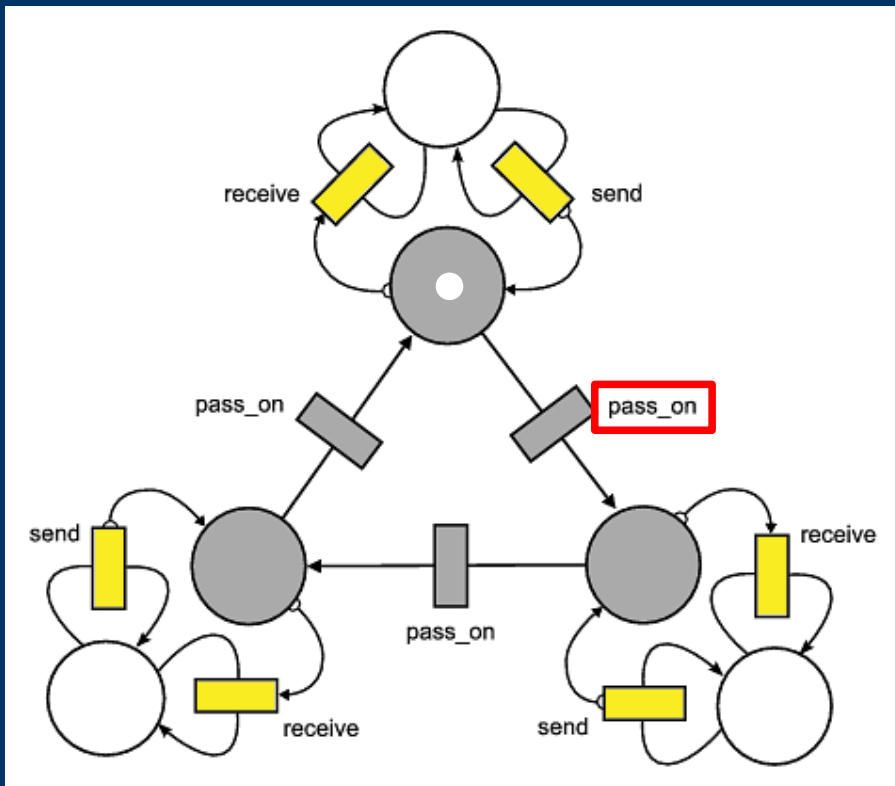
- Infrastructure composed of two “modules”:
 - message transport (gray)
 - communicator (white)
- Action (*transition*) `pass_on` is a part of the message transport module

Infrastructure & messages



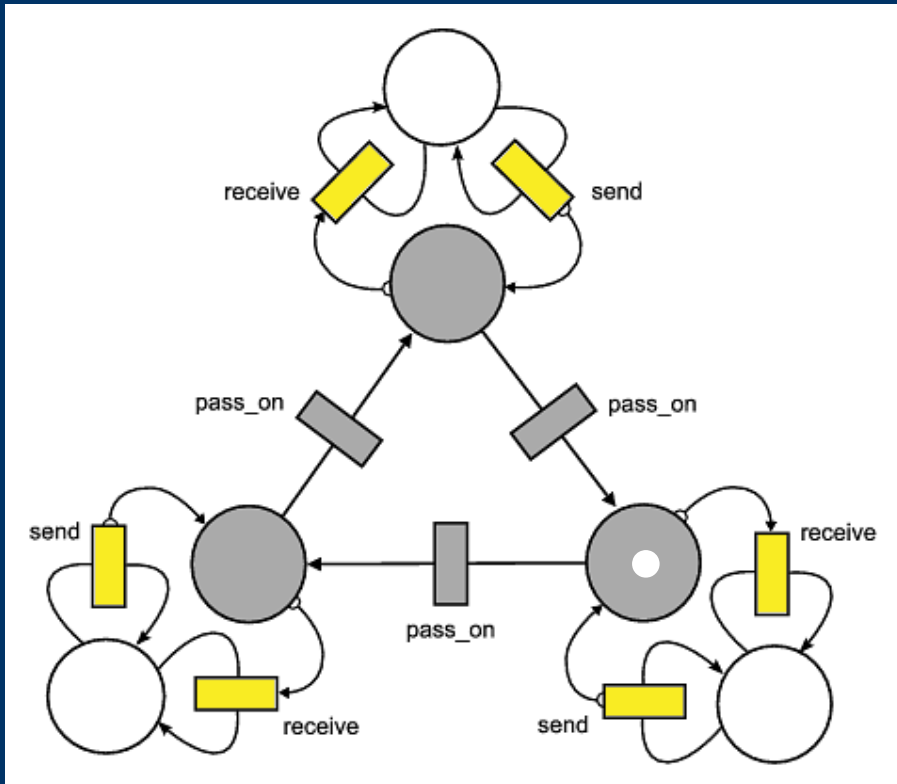
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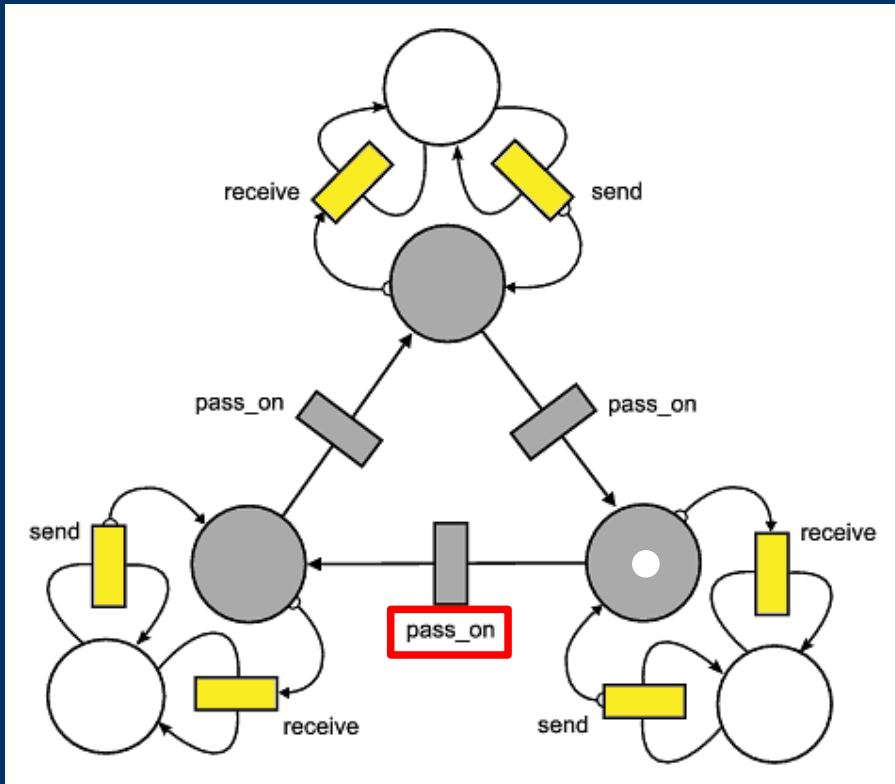
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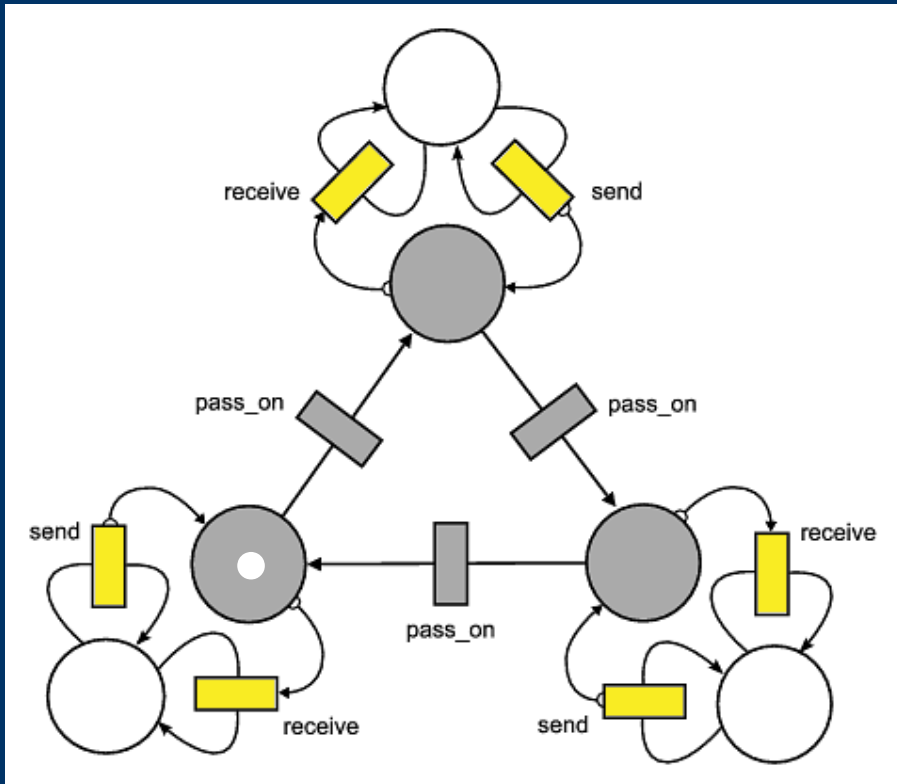
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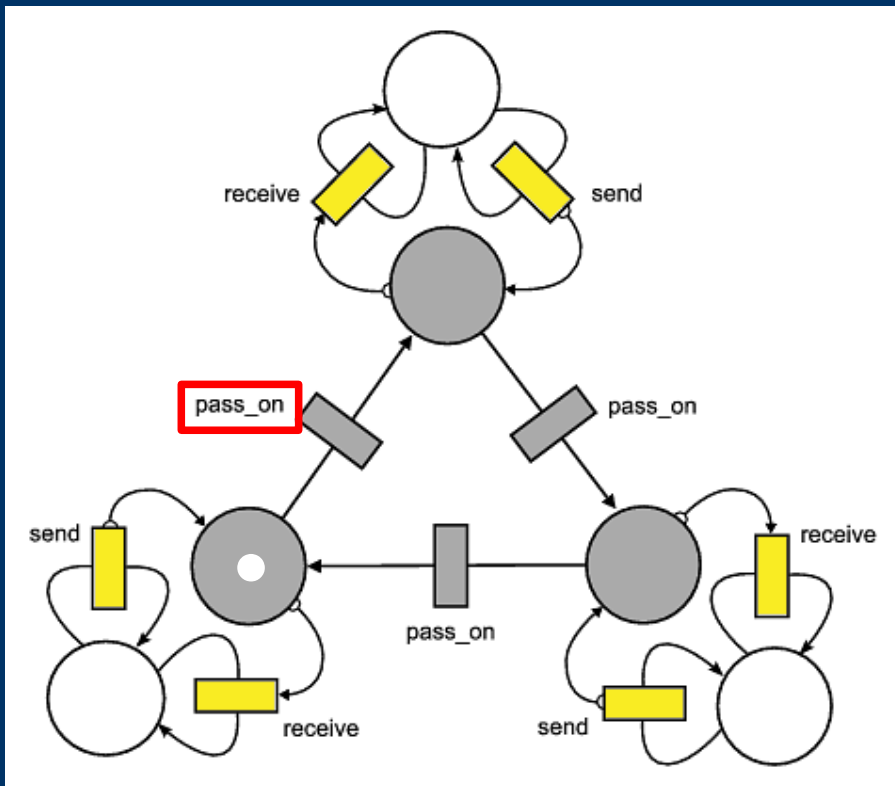
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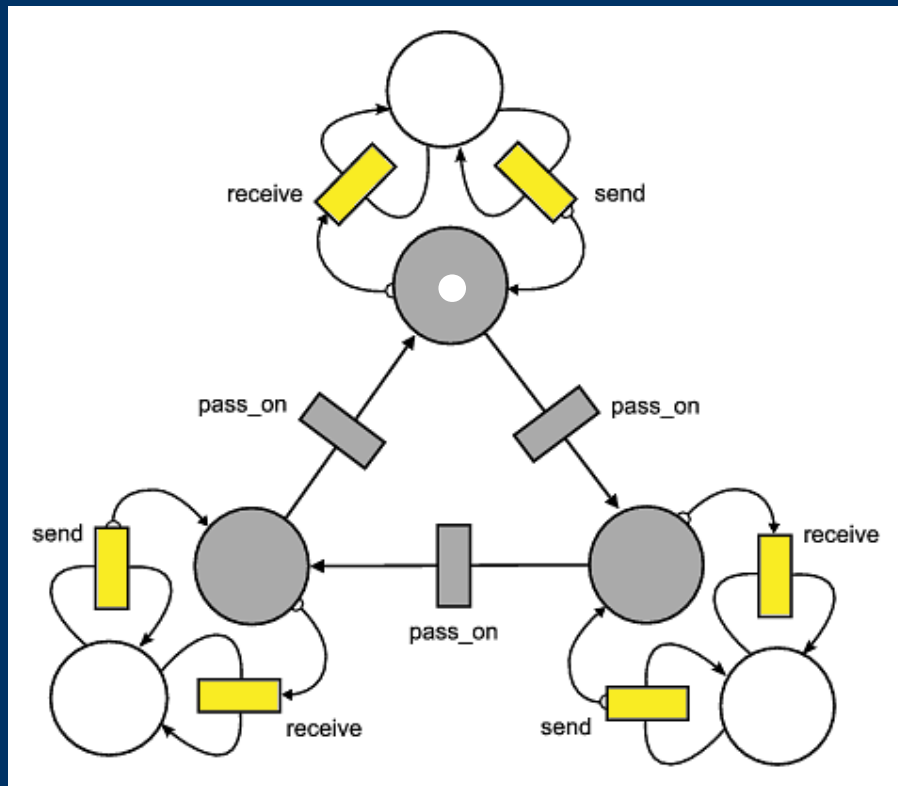
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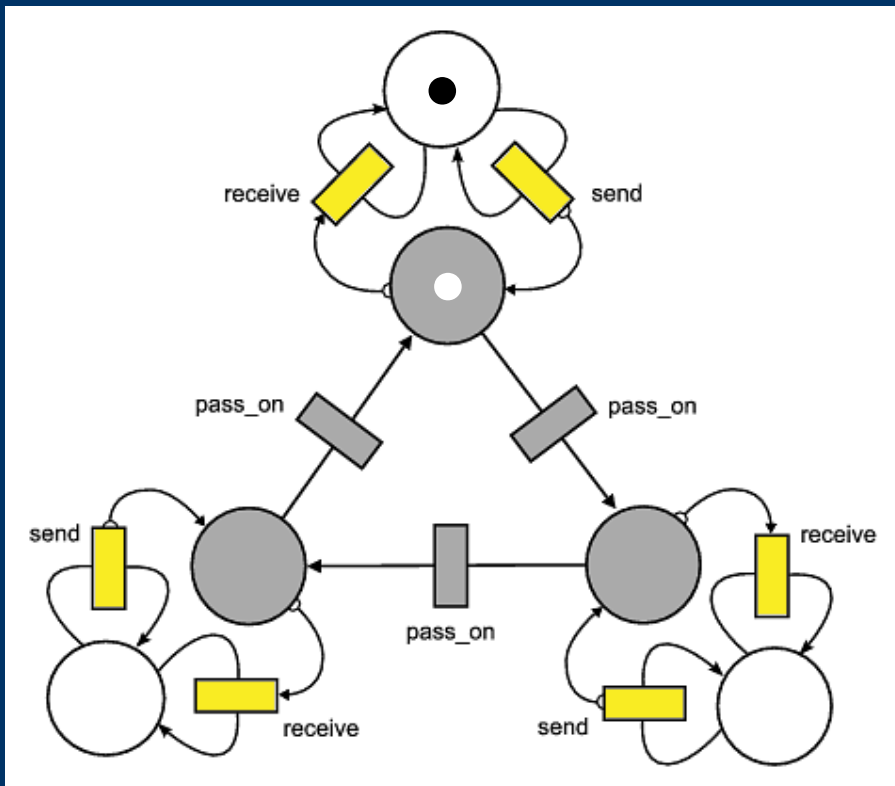
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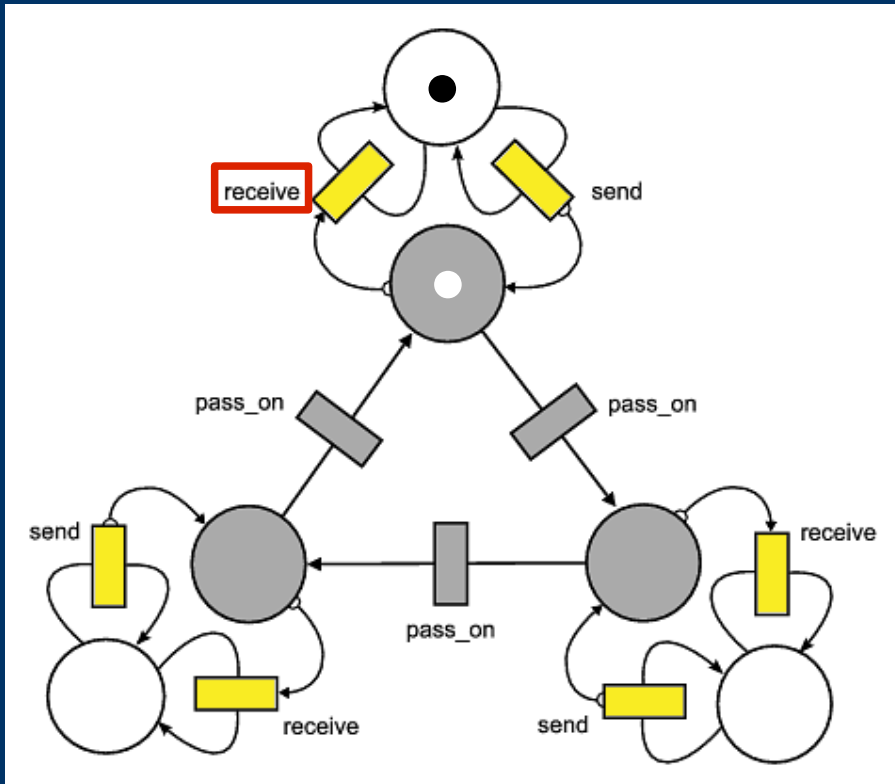
`pass_on, pass_on, pass_on, ...`

Infrastructure, messages & communicators



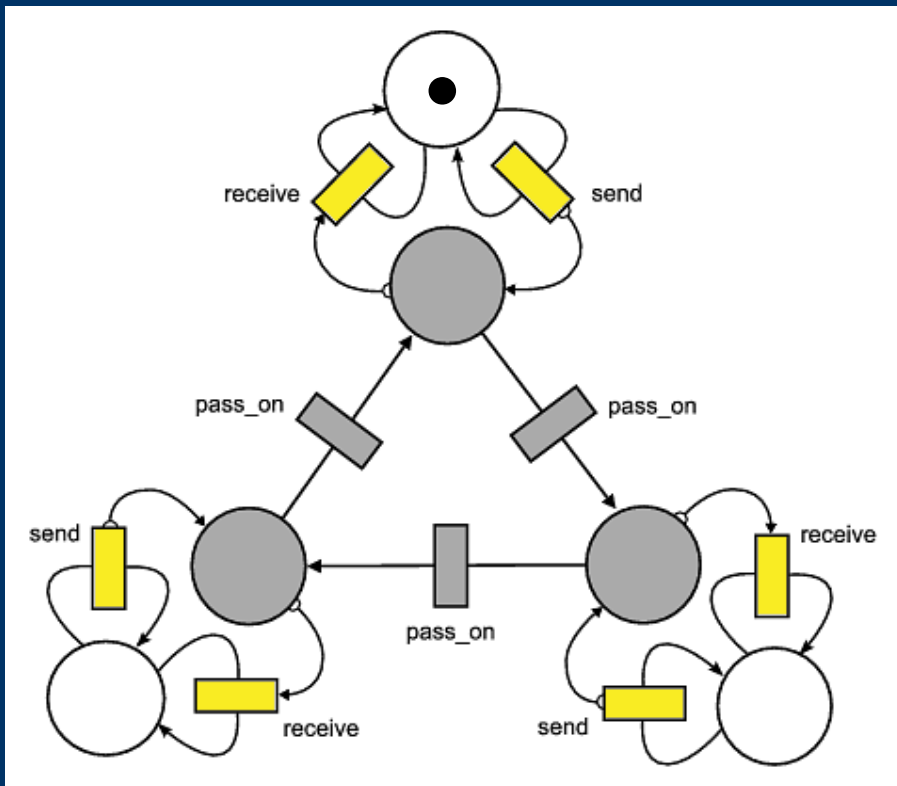
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Infrastructure, messages & communicators



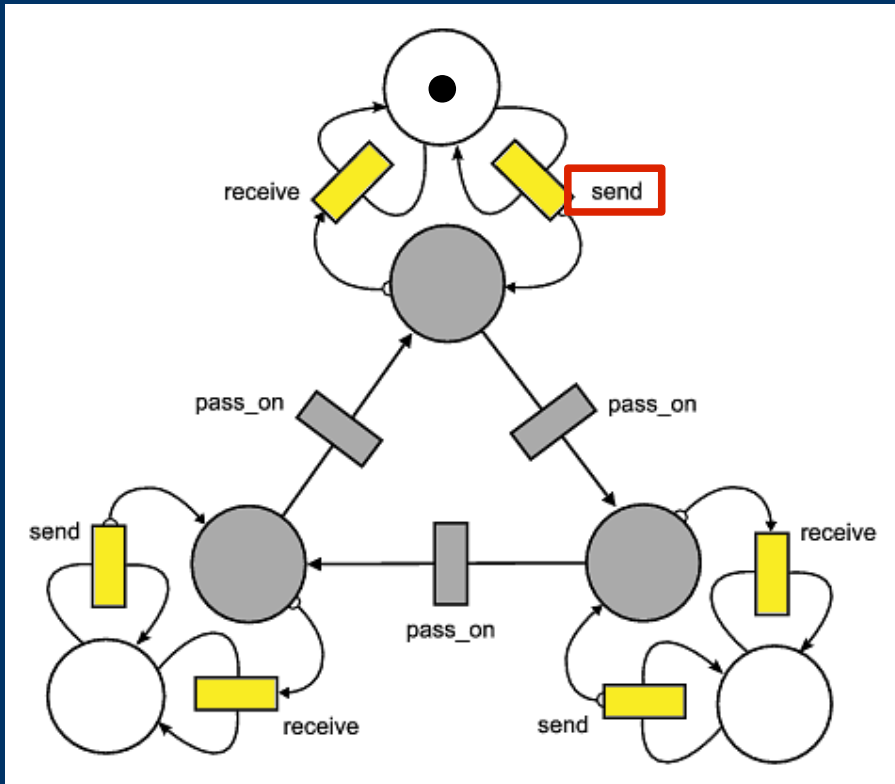
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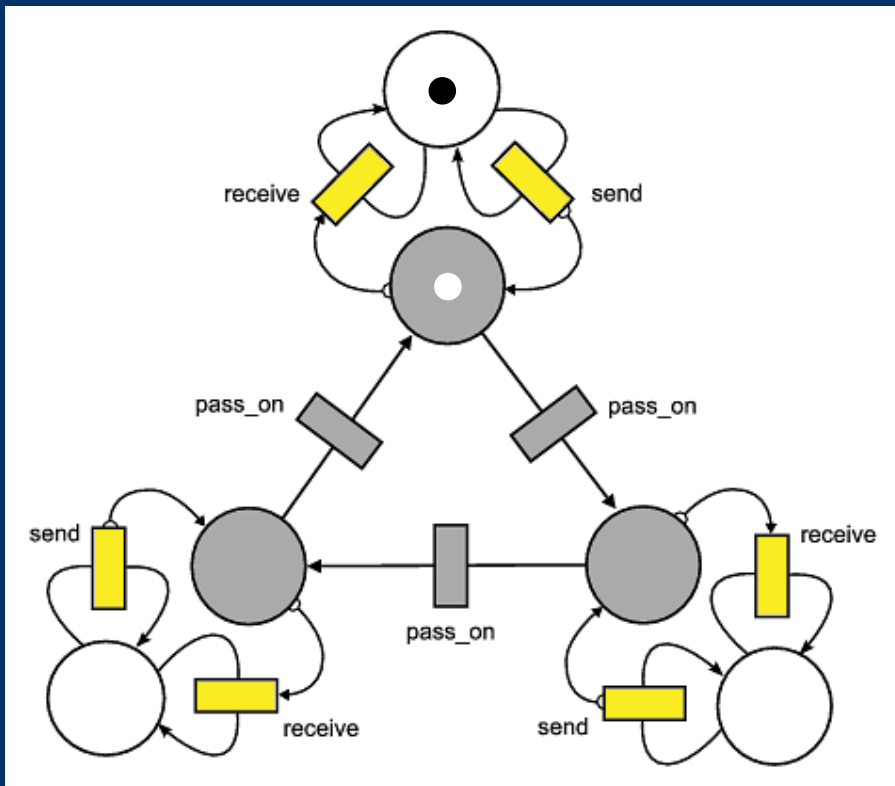
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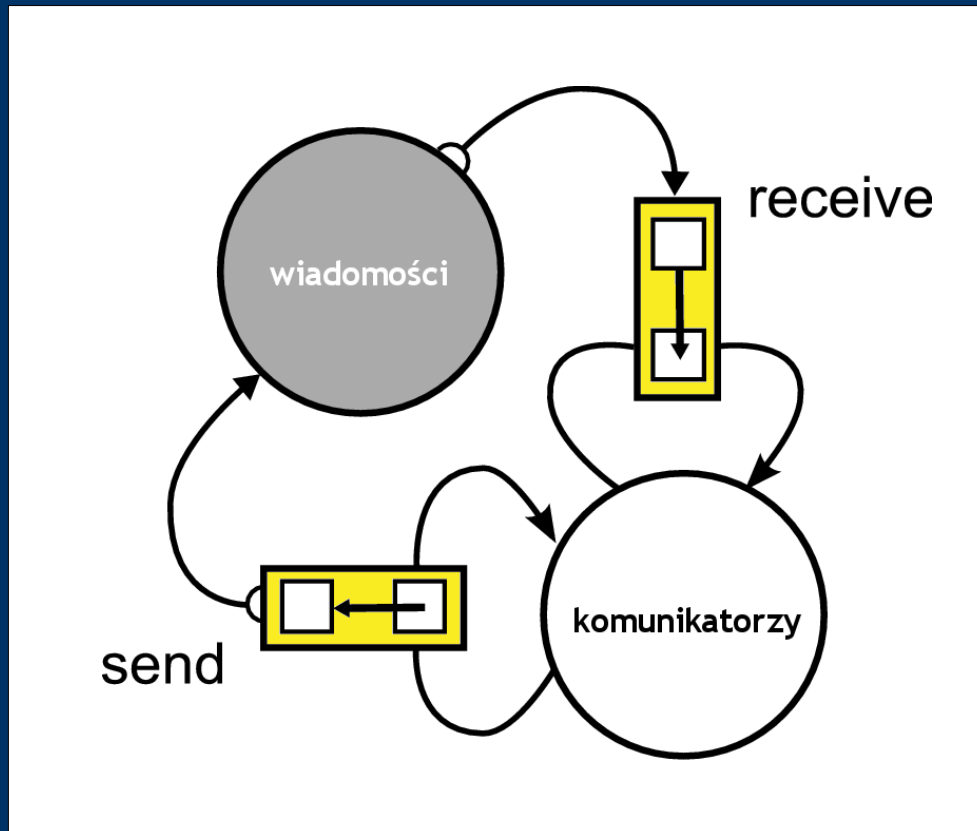
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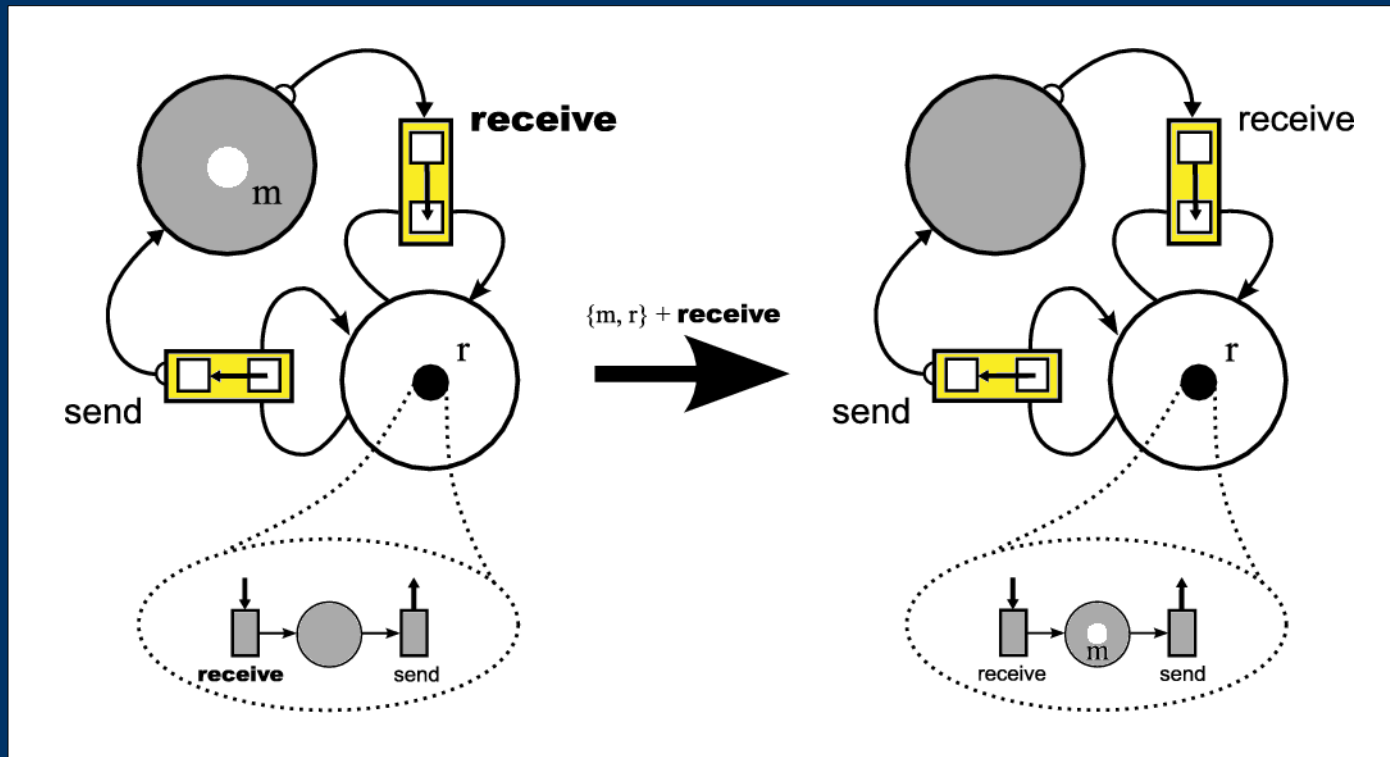
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Physical message flow



- firings of **receive** and **send**
 - manipulate pairs of agents
 - message – receiver/sender
- **receive** – moves a message from a communication infrastructure location “inside” the receiver agent
- **send** – moves a message from “inside” the sender to a communication infrastructure location

Physical message flow – receive action



Physical message flow – an abstraction

- $A \stackrel{\text{def}}{=} \text{Mess} \cup \text{Comm} \cup \{ \text{infra} \}$ \Leftarrow agents
 - $S \stackrel{\text{def}}{=} (\text{Mess} \rightarrow \text{Loc}^m) \times (\text{Comm} \rightarrow \text{Loc}^c)$ \Leftarrow states
- where
- Loc^m – set of message locations
 - Loc^c – set of communicator locations
 - $T \stackrel{\text{def}}{=} \{ \text{pass_on}, \text{send}, \text{receive} \}$ \Leftarrow transitions
 - $\delta : T \rightarrow \mathcal{P}(A) \rightarrow (S \rightarrow S)$ \Leftarrow transition function

$\delta(t)(\alpha)(s) \stackrel{\text{def}}{=} \underline{\text{if}}$ α is a t -consortium in s
then “result of firing the consortium s ”
else “undefined”

Logical view – message addressing

- $A' \stackrel{\text{def}}{=} \text{Mess} \cup \text{Comm}$
- $S' \stackrel{\text{def}}{=} \text{Mess} \rightarrow \text{Comm} \times \text{Comm}$
- $T' \stackrel{\text{def}}{=} \{ \text{send, receive} \}$
- $\delta'(\text{send})(\alpha)(s) \stackrel{\text{def}}{=} \underline{\text{if}} (\exists m, c, c') \alpha = \{m, c\} \wedge s(m) = (c, c') \underline{\text{then}} s$
 $\underline{\text{else}} \text{“undefined”}$
- $\delta'(\text{receive})(\alpha)(s) \stackrel{\text{def}}{=} \underline{\text{if}} (\exists m, c, c') \alpha = \{m, c'\} \wedge s(m) = (c, c')$
 $\underline{\text{then}} s [m \rightsquigarrow (c', c)] \quad \Leftarrow \text{address transposition}$
 $\underline{\text{else}} \text{“undefined”}$

Agent-aware transition systems

agent-aware transition system (A, T, S, δ):

- A set of agents
- T set of transitions
- S set of states
- $\delta : T \rightarrow \mathcal{P}(A) \rightarrow (S \rightarrow S)$ transition function

(simple modification of the *deterministic transition system* notion)

View = agent-aware transition system

Synchronization of views

Let $\{ \mathcal{S}_i \mid i \in I \}$ - a family of views $\mathcal{S}_i = (A_i, T_i, S_i, \delta_i)$

$$\prod_{i \in I} \mathcal{S}_i \stackrel{\text{def}}{=} \langle \bigcup_{i \in I} A_i, \bigcup_{i \in I} T_i, \prod_{i \in I} S_i, \Delta \rangle$$

where

$\Delta(t)(\alpha)(s) \approx$ if $(\exists k \in I) t \in T_k \wedge \delta_k(t)(\alpha \cap A_k)(s_k)$ is undefined
then “undefined”
else \langle if $t \in T_i$ then $\delta_i(t)(\alpha \cap A_i)(s_i)$ else $s_i \mid i \in I \rangle$

Synchronization result – system specification

Some “unwanted” features of views considered separately:

- **physical**: abstracts from addressing (send, receive)
- **logical**: disregards physical placement of agents (send, receive)

After synchronization:

- action `pass_on` (autonomous for the physical view) modeled exactly as before
- actions `send` and `receive` take into account both addressing and physical placement of message and sender/receiver

Synchronization as a product

morphism $\sigma : \mathcal{S}_1 \rightarrow \mathcal{S}_2$ of agent-aware t.s. $\mathcal{S}_i = (A_i, T_i, S_i, \delta_i)$ $i=1,2$

s.t. $A_1 \supseteq A_2$ and $T_1 \supseteq T_2$ is a function $\sigma : S_1 \rightarrow S_2$ such that:

– $\forall t \in T_1, \alpha \subseteq A_1, s \in S_1$ if $t \in T_2$ and $\delta_1(t)(\alpha)(s)$ is defined then

$$\delta_2(t)(\alpha \cap A_2)(\sigma(s)) = \sigma(\delta_1(t)(\alpha)(s))$$

– $\forall t \in T_1, \alpha \subseteq A_1, s \in S_1$ if $t \notin T_2$ and $\delta_1(t)(\alpha)(s)$ is defined then

$$\sigma(s) = \sigma(\delta_1(t)(\alpha)(s))$$

ATS – the category of agent-aware transition systems and their morphisms

Proposition. Synchronization = categorical product in ATS.



Synchronization as a product

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 s.t. $A_1 \supseteq A_2$ and $T_1 \supseteq T_2$ is a function $\sigma : S_1 \rightarrow S_2$ such that:

$$s \xrightarrow{t, \alpha} s' \text{ then } \begin{cases} \sigma(s) = \sigma(s') & t \in T_2 \\ \sigma(s) \xrightarrow{t, \alpha \cap A_2} \sigma(s') & \text{otherwise} \end{cases}$$

ATS – the category of agent-aware transition systems and their morphisms

Proposition. Synchronization = categorical product in ATS.



Slightly more interesting example

Exchange of (possibly) encrypted messages

- **agents:**
 - communicators – senders/receivers
 - messages
 - keys – public and secret
- **assumptions**
 - there is a message flow infrastructure between communicators
 - message *might* be encrypted with receiver's public key
 - appropriate secret key is needed to decrypt an encrypted message

Five views

- physical
- logical 1 – encrypting and decrypting of messages
 - agents: messages and public keys
- logical 2 – public and secret keys relationship
 - agents: public and secret keys
- logical 3 and 4 – communicators' knowledge about public/secret keys
 - agents: communicators and public/secret keys

1. *Encrypting and decrypting messages*

- $A^1 \stackrel{\text{def}}{=} \text{Mess} \cup \text{PubKey}$
- $S^1 \stackrel{\text{def}}{=} \text{Mess} \rightarrow \text{PubKey}^*$
- $T^1 \stackrel{\text{def}}{=} \{ \text{send, receive} \}$

- $\delta^1(\text{send})(\alpha)(s) \stackrel{\text{def}}{=} \text{case } \alpha \text{ of}$
 - $\{m, pk\} : s [m \mapsto pk \cdot s(m)] \Leftarrow \text{encrypt with "pk"}$
 - $\{m\} : s \Leftarrow \text{"plain-text"}$
 - else "undefined"

1. *Encrypting and decrypting of messages*

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- $T^1 \stackrel{\text{def}}{=} \{ \text{send, receive} \}$

- $\delta^1(\text{receive})(\alpha)(s) \stackrel{\text{def}}{=} \text{if } \alpha = \{m, pk\} \wedge s(m) = pk \cdot pks$
then $s [m \mapsto pks] \Leftarrow \text{message decrypting}$
elseif $\alpha = \{m\} \wedge s(m) = \text{null}$
then $s \Leftarrow \text{„plain-text“ message}$
else „undefined“

2. *Public-Secret key relationship*

- $A^2 \stackrel{\text{def}}{=} \text{PubKey} \cup \text{SecKey}$
- $S^2 \stackrel{\text{def}}{=} \text{PubKey} \rightarrow \text{SecKey}$
- $T^2 \stackrel{\text{def}}{=} \{ \text{receive} \}$

- $\delta^2(\text{receive})(\alpha)(s) \stackrel{\text{def}}{=} \begin{array}{l} \underline{\text{if}} \ \alpha = \emptyset \vee \alpha = \{\text{pk}, \text{sk}\} \wedge s(\text{pk}) = \text{sk} \\ \underline{\text{then}} \ s \\ \underline{\text{else}} \ \text{"undefined"} \end{array}$

3. *Communicators' knowledge – public keys*

- $A^3 \stackrel{\text{def}}{=} \text{Comm} \cup \text{PubKey}$
- $S^3 \stackrel{\text{def}}{=} \text{Comm} \rightarrow \mathcal{P}(\text{PubKey})$
- $T^3 \stackrel{\text{def}}{=} \{ \text{send} \}$

- $\delta^3(\text{send})(\alpha)(s) \stackrel{\text{def}}{=} \begin{array}{l} \text{if } \alpha = \{c\} \vee \alpha = \{c, pk\} \wedge pk \in s(c) \\ \text{then } s \\ \text{else "undefined"} \end{array}$

4. Communicators' knowledge – secret keys

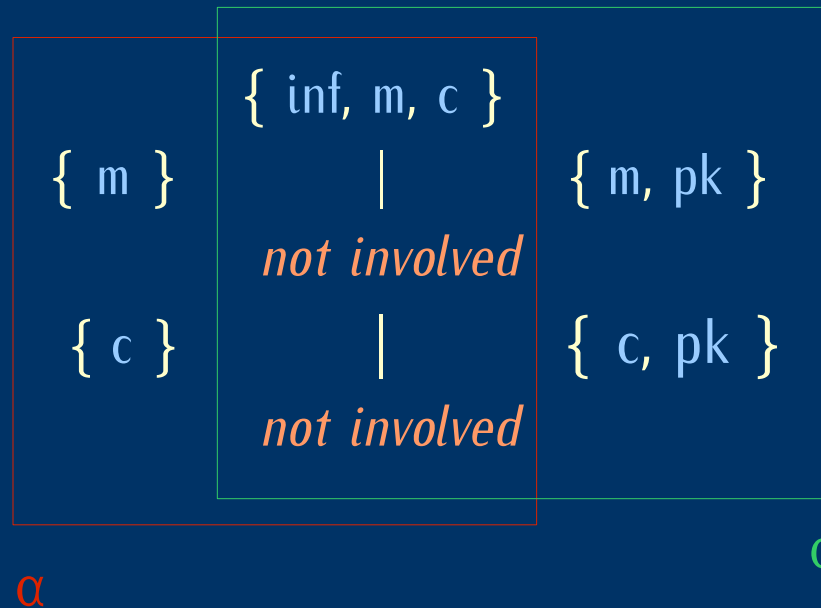
- $A^4 \stackrel{\text{def}}{=} \text{Comm} \cup \text{SecKey}$
- $S^4 \stackrel{\text{def}}{=} \text{Comm} \rightarrow \mathcal{P}(\text{SecKey})$
- $T^4 \stackrel{\text{def}}{=} \{ \text{receive} \}$

- $\delta^4(\text{receive})(\alpha)(s) \stackrel{\text{def}}{=} \begin{array}{l} \underline{\text{if}} \ \alpha = \{c\} \vee \alpha = \{c, \text{sk}\} \wedge \text{sk} \in s(c) \\ \quad \underline{\text{then}} \ s \\ \quad \underline{\text{else}} \ \text{"undefined"} \end{array}$

Synchronous transition function – send

$\Delta(\text{send})(\alpha)(s)$

- physical:
- logical 1:
- logical 2:
- logical 3:
- logical 4:

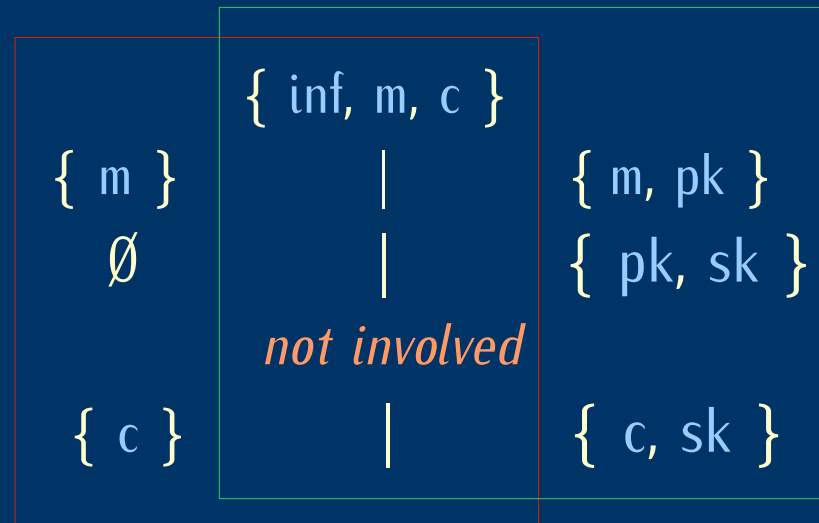


message encryption
public/secret keys rel.
public keys knowledge
secret keys knowledge

Synchronous transition function – receive

$\Delta(\text{receive})(\alpha)(s)$

- physical:
- logical 1:
- logical 2:
- logical 3:
- logical 4:



α

α

message encryption
 public/secret keys rel.
 public keys knowledge
 secret keys knowledge

Synchronous transition function – *pass_on*

$\Delta(\text{pass_on})(\alpha)(s)$

- physical: { inf, m }
- logical 1: *not involved* message encryption
- logical 2: *not involved* public/secret keys rel.
- logical 3: *not involved* public keys knowledge
- logical 4: *not involved* secret keys knowledge

- We know:
 - how to model system views
 - how to obtain the description of the dynamics of the whole system from the composition of views
- Problem:
 - how to specify and verify (the desired) system properties

Interpreted agent-aware transition systems

interpreted agent-aware transition system $(A, T, S, \delta, \Sigma, \xi)$:

- (A, T, S, δ) **agent-aware transition system**
- Σ **ranked alphabet** (predicate names)
- $\xi : S \rightarrow \text{RelStr}(\Sigma, A)$ **interpretation function**

where $\text{RelStr}(\Sigma, A)$ is the set of Σ -relational structures with carrier A

Remarks:

- Interpreted agent-aware t.s. constitute a category **IATS**
- synchronization of *iaas* is a categorical product in **IATS**

Agent-terms and valuations

Agent-term: either agent name or agent variable

$$\text{Term}(A) ::= \{ [a] \mid a \in A \} \cup X$$

Valuations and agent-term interpretations

$$v : X \rightarrow A$$

$$v^\# : \text{Term}(A) \rightarrow A \quad \text{where } v^\#([a]) \stackrel{\text{def}}{=} a$$

Formulas and satisfaction relation

- Formulas

$\varphi ::= \text{false} \mid r(t_1, \dots, t_n) \mid \neg\varphi \mid \varphi \vee \psi \mid E[\varphi U \psi] \mid EG\varphi$

- Satisfaction relation for $M = (A, T, S, \delta, \Sigma, \xi)$

$s, v \models \text{false}$ never

$s, v \models \neg\varphi$ iff not $s, v \models \varphi$

$s, v \models \varphi \vee \psi$ iff $s, v \models \varphi$ or $s, v \models \psi$

$s, v \models r(t_1, \dots, t_n)$ iff $(v^\#(t_1), \dots, v^\#(t_n)) \in r_{\xi(s)}$

$s, a \models E[\varphi U \psi]$ iff there is a path π from s such that $\pi_k, v \models \psi$ for some k , and $\pi_j, v \models \varphi$, for $j=1, \dots, k-1$

$s, a \models EG\varphi$ iff there is a path π from s such that $\pi_k, v \models \varphi$ for all k

Some useful derived formulas

- There exists a path such that φ eventually holds on it
 - $EF\varphi \equiv E[\text{true}U\varphi]$
- For all paths φ holds “globally” – for all states occurring in them
 - $AG\varphi \equiv \neg EF\neg\varphi$
- For all paths φ eventually holds on them
 - $AF\varphi \equiv \neg EG\neg\varphi$
- For all paths φ holds “until” ψ holds
 - $A[\varphi U\psi] \equiv \neg(E[\neg\psi U\neg(\varphi \vee \psi)] \vee EG\neg\psi)$

Our logic \approx CTL – “next-step operator” + “n-ary predicates”

Public key cryptography example revisited

Ranked alphabets and their interpretation for the views

- **physical**: a binary relational symbol `SubAgent` with the obvious agent-containment interpretation
- **logical 1**: binary symbol `LastEnc` interpreted as relation between messages and public keys (*“last encrypted with”*)
- **logical 2**: binary symbol `MatchK` interpreted as as a relation between public and secret keys (*“matching keys”*)
- **logical 4**: binary symbol `KnowsSecK` interpreted as as the obvious relation between communicators and public keys

Public key cryptography example revisited

$\text{LastEnc}(m, pk) \wedge \text{MatchK}(pk, sk) \wedge \text{KnowsSecK}(c, sk)$



$\text{EF SubAgent}(c, m)$

if a communicator possesses “the right” secret key then there is a possible temporal evolution of the system leading to a state where the encrypted message has been delivered to him

Liveness property

Public key cryptography example revisited

$$\text{MatchK}(\text{pk}, \text{sk}) \wedge \neg \text{KnowsSecK}(\text{c}, \text{sk})$$
$$\Downarrow$$
$$\neg \text{E}[\text{LastEnc}(\text{m}, \text{pk}) \cup \text{SubAgent}(\text{c}, \text{m})]$$

if a communicator does not possess “the right” secret key he will not be able to receive the encrypted message

Safety property

Public key cryptography example revisited

$$\begin{aligned} \text{KnowsSecK}(c,sk) &\Rightarrow \text{AG } \text{KnowsSecK}(c,sk) \\ &\wedge \\ \neg \text{KnowsSecK}(c,sk) &\Rightarrow \text{AG } \neg \text{KnowsSecK}(c,sk) \end{aligned}$$

communicators neither forget nor acquire secret keys

Safety property

Public key cryptography example revisited

$$\text{AG} (\text{KnowsSecK}(c, [k_a]) \Rightarrow c = [a])$$

k_a is a “private key” of the communicator a

Safety property

Conclusions

What has been presented

- agent-aware transition systems – a unified framework for modeling dynamic agent systems
- system model = categorical product of views
- simple (but expressive) logic for reasoning about properties of the system

Future work

- extend and refine the existing model checking tools for the presented logic using the Verics model-checker system
- apply the framework to a wide spectrum of case-studies